

The University of Jordan
King Abdulla II School for Information Technology
Computer Science Department

Computer Graphics – MidTerm Exam – Fall 2014/2015

Instructor: Dr Jamal Alsakran

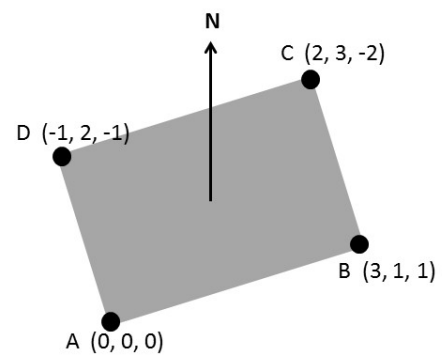
Student Name:

Student ID:

Section #:

Q1 (3 points, 2 + 1) Given the following polygon composed of the points A, B, C, and D.

(a) Calculate the normal direction **N**



(b) Normalize **N**

Q2 (12 points, 2 each) Answer each of the following questions

(a) Given a circle center at $(0, 0)$ of radius $r = 10$, using Midpoint circle algorithm compute P_0 :

$P_0 =$

(b) Given the line with endpoints $(40, 50)$ and $(20, 0)$, compute the line slope:

slope =

(c) For any given shape centered at (cx, cy) , provide the transformation matrix M that makes the shape twice as big and stays centered at the same point (cx, cy) .

$M =$

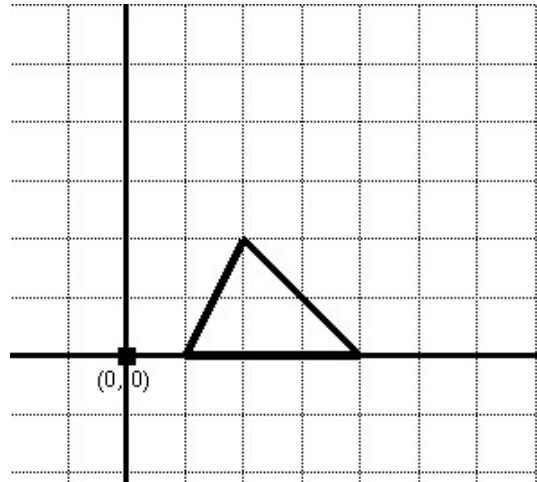
(d) For any given shape, what will happen to the shape when the matrix $M = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$ is applied to it?

(e) Let A and B be unit vectors and $A \cdot B = 0$, what is the angle θ between A and B

$\theta =$

(f) Draw a concave polygon. What is the smallest number of vertices possible for a concave polygon?

Q3 (10 points, 2 each) Given the figure below that shows a shape in its initial position



and the transformations:

- $T(t_x, t_y)$ \rightarrow Translation matrix
- $S(s_x, s_y)$ \rightarrow Scaling matrix
- $R(\theta)$ \rightarrow Rotation matrix

(a) Draw the shapes that result from applying the following transformations to the initial shape above.

$T(1, -1) \cdot R(90)$	
$S(1, 2) \cdot T(-1, 0)$	

$$T(1, 0) \cdot R(360) \cdot T(-1, 0)$$

(b) Write down the matrix M (in symbolic form) to perform the transformation required to generate the figures below.

